Foulsham and Corpusty Primary School



Calculation Policy



At Foulsham and Corpusty Primary School's we encourage children to have a love for numbers.

This calculation policy has been devised to ensure a consistent and smooth progression of learning in calculations across Foulsham Primary School and Corpusty Primary School. The policy will show examples of CPA (Concrete, Pictorial and Abstract) methods to support children's learning.

<u>Aims:</u>

- To support consistency of teaching mathematical calculations across the school.
- Pupils will develop a love and enthusiasm for mathematics that will promote confidence and carry them throughout their lives.
- Pupils have a greater understanding of mathematical methods rather than a set of memorised procedures.
- Each pupil will have and understanding of mathematical vocabulary and use this to communicate ideas.
- Pupils will make mathematical connections using CPA approach.
- Pupils will demonstrate fluency in mental and written calculations.
- Pupils will be given opportunities to use and apply calculations in cross curricular mathematics.
- Pupils are confident in choosing and using a strategy that they know will get them to the correct answer as efficiently as possible; pupils are free to choose their preferred method to solve calculations.
- To provide reference and guidance on teaching calculation skills for teaching staff, teaching assistants, parents and family members.



At Foulsham and Corpusty we use White Rose Hub to support the teaching of Mathematics from EYFS – Year 6. You can find more information here: www.whiterosemaths.com

Mathematics in the Early Years:







Mathematics: Children in reception will be learning to:

• Count objects, actions and sounds.

Examples of how to support this: -

- Develop the key skills of counting objects including saying the numbers in order and matching one number name to each item.
- Say how many there are after counting for example, "...6, 7, 8. There are 8 balls" to help children appreciate that the last number of the count indicates the total number of the group. This is the cardinal counting principle.
- Say how many there might be before you count to give a purpose to counting: "I think there are about 8. Shall we count to see?"
- Count out a smaller number from a larger group: "Give me seven..." Knowing when to stop shows that children understand the cardinal principle.
- Build counting into everyday routines such as register time, tidying up, lining up or counting out pieces of fruit at snack time.
- Sing counting songs and number rhymes and read stories that involve counting.
 Play games which involve counting. Identify children who have had less prior
 experience of counting and provide additional opportunities for counting practice.
- Subitise

- Show small quantities in familiar patterns (for example, dice) and random arrangements.
- Play games which involve quickly revealing and hiding numbers of objects.
- Put objects into five frames and then ten frames to begin to familiarise children with the tens structure of the number system. Prompt children to subitise first when enumerating groups of up to 4 or 5 objects: "I don't think we need to count those. They are in a square shape so there must be 4." Count to check.
- Encourage children to show a number of fingers 'all at once', without counting.







Which set has more? Fewer?

Can you find 2 sets with the same amount?



Mathematics: Children in reception will be learning to:

- Link the number symbol (numeral) with its cardinal number value. Examples of how to support this: -
 - Display numerals in order alongside dot quantities or tens frame arrangements.
 - Play card games such as snap or matching pairs with cards where some have numerals, and some have dot arrangements.
 - Discuss the different ways children might record quantities (for example, scores in games), such as tallies, dots and using numeral cards.
- Count beyond ten.

Examples of how to support this: -

- Count verbally beyond 20, pausing at each multiple of 10 to draw out the structure, for instance when playing hide and seek, or to time children getting ready.
- Provide images such as number tracks, calendars and hundred squares indoors and out, including painted on the ground, so children become familiar with two-digit numbers and can start to spot patterns within them.
- Compare numbers.

- Provide collections to compare, starting with a very different number of things.
- Include more small things and fewer large things, spread them out and bunch them up, to draw attention to the number not the size of things or the space they take up. Include groups where the number of items is the same.
- Use vocabulary: 'more than', 'less than', 'fewer', 'the same as', 'equal to'. Encourage children to use these words as well.
- Distribute items evenly, for example: "Put 3 in each bag," or give the same number of pieces of fruit to each child. Make deliberate mistakes to provoke discussion.
- Tell a story about a character distributing snacks unfairly and invite children to make sure everyone has the same.

Use stories and number songs which count on and back to introduce the one more and one less patterns. Represent the patterns using bricks or cubes to support the understanding that each number is one more/less than the number before.

Use first, then, now to tell simple maths stories to practise adding more in real life contexts.



First there were 2 people on the bus. Then 2 more people got on the bus. Now there are 4 people on the bus.



		\bigcirc	\bigcirc	5	6	7	8	9	10	
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Numbe	Number of the day is 3		
One less	The same as	One more	
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		***	







Mathematics: Children in reception will be learning to:

Understand the 'one more than/one less than' relationship between consecutive numbers.

Examples of how to support this: -

- Make predictions about what the outcome will be in stories, rhymes and songs if one is added, or if one is taken away.
- Provide 'staircase' patterns which show that the next counting number includes the previous number plus one.
- Explore the composition of number to 10.

- Focus on composition of 2, 3, 4 and 5 before moving onto larger numbers.
- Provide a range of visual models of numbers: for example, six as double three on dice, or the fingers on one hand and one more, or as four and two with ten frame images.
- Model conceptual subitising: "Well, there are three here and three here, so there must be six." -
- Emphasise the parts within the whole: "There were 8 eggs in the incubator. Two have hatched and 6 have not yet hatched."
- Plan games which involve partitioning and recombining sets. For example, throw 5 beanbags, aiming for a hoop. How many go in and how many don't?
- Automatically recall number bonds for numbers 0 5 and some to 10. Examples of how to support this: -
  - Have a sustained focus on each number to and within 5. Make visual and practical displays in the classroom showing the different ways of making numbers to 5 so that children can refer to these.
  - Help children to learn number bonds through lots of hands-on experiences of partitioning and combining numbers in different contexts, and seeing subitising patterns.
  - Play hiding games with a number of objects in a box, under a cloth, in a tent, in a cave, etc.: "6 went in the tent and 3 came out. I wonder how many are still in there?"
  - Intentionally give children the wrong number of things. For example: ask each child to plant 4 seeds then give them 1, 2 or 3. "I've only got 1 seed, I need 3 more."
  - Spot and use opportunities for children to apply number bonds: "There are 5 of us but only 2 clipboards. How many more do we need?"
  - Place objects into a five frame and talk about how many spaces are filled and unfilled.



#### Mathematics: Children in reception will be learning to:

- Select, rotate and manipulate shapes to develop spatial reasoning skills. Examples of how to support this: -
  - Provide high-quality pattern and building sets, including pattern blocks, tangrams, building blocks and magnetic construction tiles, as well as found materials.
  - Challenge children to copy increasingly complex 2D pictures and patterns with these 3D resources, guided by knowledge of learning trajectories: "I bet you can't add an arch to that," or "Maybe tomorrow someone will build a staircase."
  - Teach children to solve a range of jigsaws of increasing challenge.
- Compose and decompose shapes so that children recognise a shape can have other shapes within it, just as numbers can.

Examples of how to support this: -

- Investigate how shapes can be combined to make new shapes: for example, two triangles can be put together to make a square. Encourage children to predict what shapes they will make when paper is folded. Wonder aloud how many ways there are to make a hexagon with pattern blocks.
- Find 2D shapes within 3D shapes, including through printing or shadow play.
- Continue, copy and create repeating patterns.

- Make patterns with varying rules (including AB, ABB and ABBC) and objects and invite children to continue the pattern.
- Make a deliberate mistake and discuss how to fix it
- Compare length, weight and capacity. Examples of how to support this: -
  - Model comparative language using 'than' and encourage children to use this vocabulary. For example: "This is heavier than that."
  - Ask children to make and test predictions. "What if we pour the jugful into the teapot? Which holds more?"

Step one	Step two	Step three
<b>Children will be able to:</b> Add by combing two parts to make a whole.	<b>Children will be able to:</b> Add by counting on from the biggest number.	<b>Children will be able to:</b> Add by regrouping to make 10 (an essential skill for
Concrete: 3 + 4 = 7	Concrete:	Column addition later.) Concrete: Rosie has used the 10 frames to calculate 6 + 7 I partitioned the 7 into 4 and 3 so that I could make a full 10 10 + 3 =
7 + 3 = 10 7 + 3 = 10	then count on to the smaller number 1 by 1 to find the answer.	Pictorial:
10	First Then Now	Mo has used a number line to calculate 6 + 8 I partitioned 8 into 4 and 4 to make it easier. +4 +4 +4 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
Pictorial:	12+5=17 10 11 12 13 14 15 16 17 18 19 20 Start at the larger number on the number line and count on in ones or in one jump to find the answer. Abstract:	9+5=14 1 4 1 4 1 4 1 4 1 4 1 4 1 4 1
Abstract:	5 + 12 = 17	Abstract:
5	Place the larger number in your head and count on the smaller number to find your answer.	7 + 4= 11
2 <b>4 + 3 = 7</b>		If I am at seven, how many more do I need to make 10. How many more do I add on now?

Step four	Step five	Step six
<b>Children will be able to:</b> Add multiples of ten	<b>Children will be able to:</b> Use known number facts	<b>Children will be able to:</b> Add a two-digit number and ones
<b>Concrete:</b> 30 + 20 = 50		Concrete:
11111		Use ten frame to make 'magic ten
Model using base ten or a bead string.	Using base ten, children recognise that they can use their knowledge of 3 ones + 3 ones = 6 ones so 3 tens + 3 tens = 6 tens.	Children explore the pattern. 17 + 5 = 22
Pictorial:	Pictorial:	27 + 5 = 32
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	Pictorial: 17 + 5 = 17 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1 +
Use representations for base ten or children draw representations of base ten.	Children draw representations of tens and ones.	
Abstract:	Abstract: 3 + 4 = 7	+3 +2
20 + 30 = 50	leads to	17 20 22
70 = 50 + 20	30 + 40 = 70	Abstract:
40 + 🗆 = 60	<i>leads to</i> 300 + 400 = 700	24 + 5 = Place the larger number in your head and count on the smaller number to find your answer.

Step seven	Step eight	Step nine
Children will be able to:	Children will be able to:	Children will be able to:
Add a 2 digit number and tens	Add two 2-digit numbers	Add three 1-digit numbers
Concrete:	Concrete:	Concrete: 4 + 7 + 6 = 17 Put 4 and 6 together to make 10 Add on
25 + 10 = 35	//* ////*	7.
Explore that the ones digit does not change	and numicon	
Pictorial:	Pictorial:	Following on from making 10, make 10 with 2 of the digits (if possible) then add on the third digit.
27 + 30 + 10 + 10 + 10 + 10 + 10 + 10 + 10	+20 +5 Or +20 +3 +2 47 $67$ $72$ $47$ $67$ $70$ $72Use number line and bridge ten using part$	Pictorial:
Abstract:	whole if necessary. Abstract:	Add together three groups of
27 + 10 = 37	25 + 47	objects. Draw a picture to recombine the groups to make 10.
27 + 20 = 47	20 + 5 $40 + 720 + 40 = 60$	Abstract: 4 + 7 + 6 = 10 + 7
27 + 🗆 = 57	5+7 =12	= 17
	60 + 12 = 72	Combine the two numbers that make 10 and then add on the remainder.



Abstract:

40 + 9

20 + 3

+114

3 3 7 Add the ones first, then the tens, then the hundreds.

Start by partitioning the numbers before formal column to show the exchange. 60 + 12 = 72

35

7

396

Step thirteen	Step fourteen	
<ul> <li>Children will be able to: <ul> <li>Add numbers with more than 4 digits –</li> <li>(Children should continue with step ten, eleven and twelve.)</li> <li>Add decimals with 2 decimal places, including money.</li> </ul> </li> </ul>	Children will be able to: Add several numbers of increasing complexity, including adding money, measure and decimals with different numbers of decimal points. Concrete: As step thirteen	
Concrete: tens ones tenths hundredths ones tenths hundredths for a bound of the second sec	Pictorial: As step thirteen Abstract: 8 1,05 9 3,66 8 15,30 1 + 20,551 120,579	
2.37 + 81.79 $+ ents + ents + undreates  00 0000 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0$	23.361 9.080 59.770 + 1.300 93.511 Nsert zeros for place holders	

# Subtraction:

Step one	Step two	Step three
Children will be able to:	Children will be able to:	Children will be able to:
Take away ones	Count back	Find the difference
Concrete: 6 - 2 = 4 6 - 2 = 4 6 - 2 = 4 6 - 2 = 4	Concrete: Make the largest number in your subtraction. Move objects away from the group, counting backwards.	Concrete: 7 4 Use cubes to build towers to find the difference.
Use physical objects, counters, cubes etc to show how objects can be taken away.	Make the largest number in your subtraction. Move the beads along your bead string as you count backwards in ones.	S Percis S Perci S Percis S Percis S Percis S Percis S Percis S Perci
Pictorial:	Pictorial:	
	Count back on a number line or number	Pictorial:
4-2=2	9 10 11 12 13 14 15	+5 0 1 2 3 4 5 6 7 8 9 10
Cross out drawn objects to show what has been taken away.	Start at the bigger number and count back the smaller number, showing the	Count on to find the difference.
Abstract	Jumps on the number line.	ADSTRACT:
	Abstract:	Hannah has 8 goldfish.
7—4 = 3	Put 13 in your head, count back 4. What number are you at?	Helen has 3 goldfish. Find the difference between the number
16—9 = 7	Use your fingers to help.	

## Subtraction:

Step four	Step five	Step six
<b>Children will be able to:</b> Regroup a ten into ten ones	<b>Children will be able to:</b> Partitioning to subtract without regrouping 'friendly numbers'	<b>Children will be able to:</b> Column subtraction without regrouping (friendly numbers).
Concrete: Use a place value chart to show how to change a ten into ten ones, to enable you to take them away. Use the term 'exchange'.	Concrete: 34 - 13 = Use base ten to show children how to partition the number when subtracting without regrouping. E.g. 4 - 3 and 30 -	Concrete:
Pictorial: 13 – 5 = Children to use crossing out of pictures or of their own drawings.	10. Pictorial: 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10. 10.	Use base ten, numicon or place value counters to model this.  Pictorial:
Abstract: 20—4 = 16	Children draw representations of base ten and cross off. Abstract:	Draw the base ten or place value counters alongside the written calculation to help to show working.
	43—21 = 22	47-24 = 23 $40-20 = 20$ $7-4 = 3$ $20+3 = 23$ This will lead to a clear written column subtraction.

## Subtraction:

Step seven	Step eight	Step nine
Children will be able to:	Children will be able to:	Children will be able to:
Column subtraction with regrouping	subtracting tens and ones	Subtract with at least 4 digits, including money and
	Subtract with up to 4 digits	measures.
Concrete:		
Begin with base ten before moving on to place	Concrete:	Subtract with increasingly large and more complex
value counters. Model the exchange of a ten into		numbers and decimal values.
ten ones. Start with once exchange before moving	234 - 179	
onto subtractions with two exchanges.		Concrete:
Calculations	• •	See step eight
- 88		Pictorial:
	Model the process of exchange using base ten or numicon	See step seven - children to draw place value
Start with the ones, can I take away 8 from 4	and then move to place value counters.	counters or base ten and show their exchange.
easily? I need to exchange 1 of my tens for 10 ones.		
Now I can subtract my ones.	Pictorial:	Abstract:
Calculations	See step seven – children to draw place value counters or	3 % 0 8 %
	base ten and show their exchange.	- 2128
		28,928
Pictorial:	Abstract:	
45 -29 Tens lones		for place 7 X 6 9 · 0
16 ARIA 200	6	holders. $-372\cdot 5$
	2851	6796.5
99-16	2 / 3 4	
$\Box = \Box = \Box = 10$	-1562	"Y" " I'X 'C Q Q
Children may draw base ten or place value	1002	29949
counters and cross off and show the exchange.	1 1 9 2	60750
Abstract:		
836-254=582 728-582=146		F
130 6 "7 12 8		1/10/5·3/4/1 9 kg
$-\frac{200}{500}\frac{50}{80}\frac{4}{2}$		- 36 · 080 kg
Begin by partitioning into place value columns		69·339,kg
Then move to formal method.		
	1	I

# Multiplication:

Step one	Step two	Step three
Step one         Children will be able to:         Making equal groups and counting the total         Concrete:         Step one         Step one	<b>Step two</b> <b>Children will be able to:</b> Repeated addition <b>Concrete:</b> 2 + 3 + 3 = 9 2 + 4 + 4 + 4 = 12 Use different objects to add equal groups. <b>Pictorial:</b> There are 3 plates. Each plate has 2 star biscuits on. How many biscuits are there? 2 + 2 + 2 = 6 5 + 5 + 5 = 15 Use pictures and number lines to solve problems. <b>Abstract:</b> Write addition sentences to describe objects and pictures.	Step three   Children will be able to:   Understanding arrays   Concrete:   Image: Imag
	2+2+2=6	

# Multiplication:

Children will be able to:       Children will be able to:       Children will be able to:         Count in multiples of x, 3, 5 and 10 from 0.       Multiplication is commutative       Children will be able to:         Multiplication is commutative       Multiplication is commutative       Children will be able to:         Concrete:       Concrete:       Concrete:       Concrete:         Count in multiples of numbers.       Create arrays using counters, cubes or numicon.       Children will be able to:       Use the inverse – this should be taught alongside division, so children learn how they work alongside each other.         Count the groups as children are skip counting, children may use their fingers, bead strings, numicon or bar models.       Children will be able to:       Concrete:         Pictorial:       Children will be able to:       Concrete:       Concrete:       Concrete:         Virte sequences with multiples.       Children will be able to:       Concrete:       Concrete:         Count in multiples.       Children will be able to:       Concrete:       Concrete:         Use the inverse – this should understand that an array can represent different equations and that, as multiplication is commutative, the order of the multiplication does not affect the answer.       Pictorial:       Virte representations of arrays to show different calculations and explore commutativity.         Abstract:       Societations and explore commutativity.       Astract: <td< th=""><th>Step four</th><th>Step five</th><th>Step six</th></td<>	Step four	Step five	Step six
Count in multiples of 2, 2, 5, and 10 from 0. (Repeated addition.)Multiplication is commutativeUse the inverse - this should be taught alongside division, so children learn how they work alongside ceach other.Concrete:Concrete:Concrete:Concrete:Sessessessessessessessessessessessessess	Children will be able to:	Children will be able to:	Children will be able to:
(Repeated addition.)       division, so children learn how they work alongside each other.         Concrete:       concrete:         Strest	Count in multiples of 2, 3, 5 and 10 from 0.	Multiplication is commutative	Use the inverse – this should be taught alongside
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Count the groups as children are skip counting, children may use their fingers, bead strings, numicon or bar models.   Pictorial:   Pictorial:   Victorial:   Number lines, counting sticks and bar models should be used to show representation of counting in multiples.   Abstract:   Count in multiples aloud   Write sequences with multiples of numbers.		Create arrays using counters, cubes or numicon.	
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Number lines, counting sticks and bar models should be used to show representation of counting in multiples.8 + 2 = 4Abstract:5 + 5 + 5 = 158 = 2 x 4Abstract:5 x 3 = 158 = 4 x 2Count in multiples aloud3 x 5 = 152 = 8 + 4Write sequences with multiples of numbers.reinforce repeated addition.4 = 8 + 2	0 5 10 15 20 25 30	Abstract:	8:2-4
should be used to show representation of counting in multiples.8÷4=2should be used to show representation of counting in multiples.5+5+5=158=2 x 4State of the sequences with multiples of numbers.5 x 3 = 152=8÷4Write sequences with multiples of numbers.reinforce repeated addition.4=8÷2	Number lines, counting sticks and bar models	00000	8÷2=4
in multiples. $5+5=15$ $8=2 \times 4$ Abstract: $5\times 3=15$ $8=4 \times 2$ Count in multiples aloud $3 \times 5=15$ $2=8 \div 4$ Write sequences with multiples of numbers.reinforce repeated addition. $4=8\div 2$	should be used to show representation of counting	00000	8 ÷ 4 = 2
Abstract: $3+3+3+3=15$ $8=4x2$ Count in multiples aloud $5x3=15$ $2=8\div4$ Write sequences with multiples of numbers.reinforce repeated addition. $4=8\div2$	in multiples.	5 + 5 + 5 = 15	8 = 2 x 4
Abstract:5 x 3 = 152 = 8 ÷ 4Count in multiples aloud3 x 5 = 15Use an array to write multiplication sentences and reinforce repeated addition.4 = 8 ÷ 2		3 + 3 + 3 + 3 + 3 = 15	8 = 4 x 2
Count in multiples aloud3 x 5 = 152 = 8 ÷ 4Write sequences with multiples of numbers.reinforce repeated addition.4 = 8 ÷ 2	Abstract:	5 x 3 = 15	
Write sequences with multiples of numbers.Use an array to write multiplication sentences and reinforce repeated addition.4 = 8÷ 2	Count in multiples aloud	3 x 5 = 15	$2 = 8 \div 4$
Write sequences with multiples of numbers.		Use an array to write multiplication sentences and	4 = 8÷ 2
	Write sequences with multiples of numbers.	reinforce repeated addition.	

# Multiplication:

Step seven	Step eight	Step nine
<b>Children will be able to:</b> Grid method	Children will be able to: Expanded method	Children will be able to: Compact method
Concrete: Show the link with arrays to first introduce the grid method. 4 rows of 10. 4 rows of 3. Move on to place value counters to show how we are finding groups of a number. We are multiplying by 4 so we need 4 rows. Fill each row with 126. Add up each column, starting with the ones making any exchanges needed.	Concrete: Show the link with arrays to first introduce the expanded method. 10 8 10 100 80 3 30 30 24	Concrete: Children can continue to be supported by place value counters at this stage of multiplication.
	X     10     X     00     00     00       X     00     00     00     00     00       X     000     00     00       X     000     00     00       X     000     00     00       X     000     000     000       X     000     000     000 <td< td=""><td>Pictorial: $240001 \rightarrow 240000 = 240000 = 240000 = 240000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 24000000 = 24000000 = 240000000000$</td></td<>	Pictorial: $240001 \rightarrow 240000 = 240000 = 240000 = 240000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 2400000 = 24000000 = 24000000 = 240000000000$
Pictorial: 2 + 3 = 72 3 = 00 000 000 000 000 000 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12 12	Abstract: Start with long multiplication, reminding the children about lining up their numbers clearly in columns.	Bar modelling and number lines can support learners when solving problems. Abstract: Start with long multiplication before moving to the more compact method.
X305721035210 + 35 = 245Start with multiplying by one-digit numbers and then move to a 2-digit number.	x <u>13</u> 24 (3 x 8) 30 (3 x 10)) 80 (10 x 8) <u>100</u> (10 x 10) 234	1342 x 18 13420 10736 24156

#### Division:

Step one	Step two	Step three
Children will be able to:	Children will be able to:	Children will be able to:
Division as sharing (not using the division symbol.)	Division as sharing (introducing the division symbol.)	Division as grouping
Concrete:	Concrete:	Concrete:
I have 10 cubes; can you share them equally	I have 10 cubes; can you share them equally between two	Divide quantities into equal groups. Use cubes,
between two people?	people? 10, 12:3=4 00, 00, 00, 00, 00, 00, 00, 00, 00, 00,	counters, objects or place value counters to aid understanding.
10 9 Shared between 3 = 3		
	Pictorial:	"I have 10. Make equal groups of 2. How many
	夢 夢 夢 夢 夢	groups do you have? This shows 10 divided by 2 = 5."
	<b>娄娄 娄娄</b>	Pictorial:
Pictorial:	8 + 2 = 4	use a number line to show jumps in groups. The
Children use pictures, shapes or drawings to share		nomber of jumps equals the nomber of groups.
quantities. 8 shared between 2 is 4.	Children use bar modelling to show and support	
チチーチチ	understanding.	0 1 2 3 4 5 6 7 8 9 10
<u> </u>	12	I hink of a bar model as a whole. Split it into the number of groups you are dividing by and work out
		how many would be within each group.
Sharing:		
	$12 \div 4 = 3$	10 divided by 5 =
4 4 4	Abstract:	5 *: - 10
Abstract:	Share 12 buns between 3 people.	Abstract
12 shared between 3 is 4.	$12 \div 3 = 4$	10 divided by $5 = 2$
		Divide 10 into 5 groups. How many are in each
		group?

#### Division:

Step four	Step five	Step six
Children will be able to:	Children will be able to:	Children will be able to:
Division as grouping	Division with arrays	Short division
Concrete:	Concrete:	Concrete:
Use cubes, counters, objects or place value counter to aid understanding.		Use place value counters to divide using the bus stop method alongside.
96 ÷ 3 = 32 96 ÷ 3 = 32		42 divided by 3 =
	Link division to multiplication by creating an array and thinking about the number sentences that can be created. <b>E.g.</b>	
Pictorial	3 × 5 = 15 5 × 3 = 15	start with the biggest place value, we are sharing 40
Continue to use bar modelling to aid solving division problems.	15 divided by $3 = 5$ 15 divided by $5 = 3$	and we have 1 ten left over. We exchange this ten fo ten one and then we share the ones equally among
60 - 4 = 15	Pictorial	the groups. We look how much we have in one group
60		so the answer is 14.
15 15 15 15		Pictorial:
	$\circ$ $\circ$ $\circ$ $\circ$ $\circ$	
Abstract:	Draw an array and use lines to split the array into groups to	
	make multiplication and division sentences.	Children can continue to use drawn diagrams with
How many groups of 6 in	Abstract	dots or circles to help them divide numbers into
24?	Find the inverse of multiplication and	equal groups. Encourage them to move towards
	division sentences by creating four	counting in multiples to divide more efficiently.
$24 \div 6 = 4$	linking number sentences.	Abstract
	5 x 3 = 15	2 1 8
	3 x 5 = 15	Begin with divisions that divide
	15 ÷ 5 = 3	4 8 7 2 equally with no remainder
	15 ÷ 3 = 5	

#### Division:

Step seven	Step eight	Step nine
Children will be able to:	Children will be able to:	Children will be able to:
Division with remainders	Short division with reaminders	Long division
Concrete:	Concrete:	
14 ÷ 3 =	364 ÷ 3 =	Abstract:
how much is left over	3 364	Children will use long division to divide
		015 32 487
Pictorial:		-0
Draw dots and group them to divide an	Pictorial:	<u> </u>
amount and clearly show a remainder.	See step seven.	48
$(\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) (\bigcirc) $	Abstract: Move onto divisions with a remainder. Once children understand remainders, $ \begin{array}{r} 8 & 6 \\ 5 & 4 \\ 3 & 2 \\ 5 & 4 \\ 3 & 2 \\ 6 & 1/5 \\ \end{array} $ begin to express as a fraction or decimal according to the context. $ \begin{array}{r} 1 & 8 & 6 \\ 1 & 5 & 4 \\ 1 & 5 & 6 \\ 1/5 \\ \end{array} $	$     \frac{-32}{167} \\     \frac{-160}{7} \\     \frac{17}{7} r 19 \\     31 \overline{)546} r 19 $
Abstract:	5 9 3 1	31
$\begin{array}{c} 29 + 8 = 3 \text{ REMAINDER 5} \\ \uparrow $	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	236 217 19
remainder using r.		

